

# Entry and patenting in the pharmaceutical industry\* Very Preliminary and Incomplete

**Maria Letizia Giorgetti**

Università degli Studi di Milano  
and Catholic University (Milan)  
letizia.giorgetti@unimi.it

**Maria Luisa Mancusi**

Catholic University (Milan) and Crios-Bocconi  
marialuisa.mancusi@unicatt.it

September 2, 2014

## Abstract

We study the impact of incumbents' and own patents on entry in pharmaceutical submarkets in the USA for the period 1988-1998. We relate the variation in the effect of patents on entry to some observable market and firm characteristics and find that own patents never encourage entry. By contrast, patent holdings by incumbents have contrasting effects: on the one hand they act as a barrier to entry, on the other hand they promote entry through the opening of new technological opportunities. The two separate effects are identified through a Bayesian approach.

*43JEL classification:* L11, L65, C11, C23, C25.

*Keywords:* Entry, Patents, Bayesian Inference, Panel data, Probit model, random effects.

---

\*The authors would like to thank Gianni Amisano for helpful discussion and for sharing his codes. We thank participants to CRESSE 2013 and to the Department of Economics seminar at Università Statale (Milano) for useful comments and suggestions. Errors remain our own.

## 1. Introduction

Own patents are usually viewed as a stimulus to entry with new products, while patents held by incumbent firms can have an ambiguous effect, and indeed evidence on the role of patents in shaping incumbent/entrant competition is mixed. On the one hand, they can be a significant barrier to entry into markets. The patent holder has the exclusive right to make, use or sell the claimed invention, and the costs for entrants to invent around, license, or fight legal disputes relating to a patent can be substantial, thus they may discourage entry. On the other hand, patent holdings in the market can also prove to be a source of useful knowledge, which reduces R&D costs and hence encourages entry.

In this paper we examine the effect of the entrant's and incumbents' patent holdings in a set of narrowly defined pharmaceutical markets on entry into those markets. Our results interestingly show that own patents never improve the chances of entry. By contrast, incumbents' patents may have twofold and contrasting effects. On the one hand, the initial stock of patents held by incumbents has a positive effect on entry, thus suggesting that through patents new knowledge flows to competitors and opens for them new technological opportunities. On the other hand, the most recent patent holdings by incumbents act as a barrier to entry: recent successes by incumbents in the exploitation of existing technological opportunities frustrate entrant's efforts and thus discourage entry. These contrasting effects are separately identified in our empirical analysis.

This paper can give contribution to the recent and interesting debate on the role of patents in spurring innovation and competition. In the recent years there has been an escalation in the number of patents in many industries and an enforcement of their legal protection; on the other side the huge increase of patents don't face an equal increase in the level of R&D expenditures and technological progress (Boldrin and Levine 2013).

From a theoretical and an empirical point of view there is not conclusive evidence in the literature on the role of patents in spurring innovation while there is an inverse relationship between the number of patents and the level of competition of an industry, so usually when the industry reaches a level of maturity there is less competition and more concentration and the number of patents drastically increases (Boldrin and Levine, 2013). In this paper we deal with a reverse question: can the amount of own patents and other companies patents increase the probability to launch a new product? So does the amount of patents increase competition? Precisely can a large amount of patents increase the probability of

entry? We address this question in the pharmaceutical sector, which relies heavily on the patent system.

We adopt a bayesian approach, which is particularly suited to the present context for different reasons. First, we do not need to rely on asymptotic results: we obtain a finite sample posterior distribution of the features of interest in the model (parameters, elasticities, etc.). Second, with our specification, we account for heterogeneity in a random coefficient framework. Third, in a simulation-based Probit approach the latent variable is simulated. Conditional on the simulated values of the latent variable, the model becomes linear and therefore much easier to deal with. This is the benefit of using a Gibbs sampling-data augmentation approach (for details see Chib, 2001). Also, average partial effects can be calculated very easily by simulation. Moreover, the model can be easily generalized in different ways to accommodate general assumptions concerning the distribution of error terms. Finally, the bayesian approach, from a computational point of view, allows us to deal with different kinds of regressors which range from strictly exogenous to merely predetermined or endogenous.

## 2. Literature review

The Pharmaceutical industry is often regarded as the best case for patent protection because the extremely high fixed costs of innovation would discourage the introduction and development of new drugs in the absence of adequate economic incentives. Patents provide such incentives, by granting the exclusive right to produce and commercialize the new drug to the innovating firm. As such the patent system is designed to encourage the introduction of new products into the market (de Figueredo and Kyle, 2006) and patents themselves can be taken as indicators of entrants' technological capabilities, knowledge assets, or innovation success (Cockburn, Henderson, and Stern, 2004). Patent holdings by the potential entrant should therefore positively correlate with the probability of entry.

The traditional view of patents as a stimulus to innovation has been somewhat changing in recent years because of concerns over the extent to which the increasing strategic use of patents may actually reduce innovation efforts and outcomes (Boldrin and Levine, 2013; Jaffe and Lerner, 2004). Indeed, there exists some evidence that innovators consider patents as a poor mean for protecting innovation (Cohen et al, 2000) and that firms may rather use patents as a strategic device in order to keep or establish their technological position in a given domain and

to block rivals from patenting related inventions (Hall and Ham-Ziedonis, 2001). Patents could therefore act as a barrier that restricts or prevents entry by rival products into the market. This may be of particular concern in the pharmaceutical industry, where innovation may have significant effects on the health of individuals. Cockburn and MacGarvie (2011) do find evidence of a detrimental effect of patent holdings on entry in the software industry. Controlling for demand, market structure, average patent quality, and other factors, they find that a 10% increase in the number of patents relevant to market reduces the rate of entry by 3 to 8 percent and that this relationship intensified following expansions in the patentability of software in the mid-1990s.

A negative effect of incumbents' patents on the chance of entry also arises in a world in which firms engage in a "patent race" with each other to reach a particular goal (a new chemical composition or formulation, a new manufacturing process or a new use of a chemical entity). All other things equal, rivals' success imposes an "exhaustion externality" on competitors, and own research productivity will be negatively correlated with competitors' efforts (Reinganum, 1989), thus reducing the chances of introducing new products into the market.

Patents held by incumbents can however exert also a positive externality on the innovation by rivals. Indeed, a firm may benefit from competitors' research since, all other things equal, extensive spillovers of knowledge between firms can increase the productivity of its research. Patents may improve such spillovers as they allow increased disclosure of the knowledge included in the patent documents, which may turn out to be useful for further discoveries and lead to greater firm and industry wide R&D productivity (Caballero and Jaffe, 1993). The impact of competing firms' efforts on own research productivity is therefore ambiguous. Our aim will be to separately identify the two opposite effects.

### **3. The dataset**

The primary source of data for our analysis is the IMShealth dataset, from which we obtained data on annual sales for all the international companies active in the cardiovascular pharmaceutical submarket in the United States from 1988 to 1998. Sales are available for each company and each submarket up to a 4-digit classification. Real values are obtained using the US GDP deflator<sup>1</sup>. Amisano

---

<sup>1</sup>Data is collected by IMS Health and was obtained by one of us during a research period at the University of Siena, while working on the EPRIS Project

and Giorgetti (2011) have used the same data to analyze entry at the 1-digit ATC level, which is however too broad to identify independent submarkets and the actual effects of competition. We therefore here analyze entry in 3-digit ATC submarkets and focus our attention on the products belonging to the cardiovascular pharmaceutical submarket.

We also employ patent data from the KITEs-Cespri Patent Database <sup>2</sup> that contains information on all patents applied for at the European Patent Office (EPO) and at the US Patent and Trademarks Office (USPTO). The database includes all the relevant informations available in the patent documents: applicant, inventor, patent class and all citations. We use patents to build the stock of knowledge of each firm in a specific submarket, to proxy for the level of sunk costs. However, while patents can be easily assigned to firms, there is no straightforward correspondence between the IPC patent classification and the ATC classification (available for product sales), i.e. there's no correspondence that allows us to associate each firm's patent to a specific 3-digit ATC class. In order to do that we use information from the following databases: Pharmaceutical Substance (Georg Thieme Verlag), IMS Life Cycle Patent Focus (IMS Health), Adis R& D Insight (Wolter Kluwer Pharma Solutions). These include data on pharmaceutical products, their ATC classification and related patents. For each 3-digit ATC submarket in our sample we obtained all the patents with priority date (i.e. date of first filing) between 1972 and 1998 associated to the products classified in that submarket<sup>3</sup>. We then use patent numbers to associate each patent to the applicant and ultimately to build the stock of knowledge for each of our firms in the relevant submarkets.

Before proceeding further, it is worth discussing why we decided to focus our analysis on the cardiovascular pharmaceutical market. A recent and interesting paper by Acemoglu and Linn (2004) analyzed the effect of market size on entry of new drugs and pharmaceutical innovation. Focusing on exogenous changes driven by U.S. demographic trends, they found that a 1 percent increase in the potential market size for a drug category leads to a 4 to 6 percent increase in the number of new drugs in that category. Unfortunately a large part of population suffers from heart diseases, so the potential market for cardiovascular products is huge. It is very attractive for companies to invest in this type of products even if the rate of uncertainty in product development is substantial.

In the period covered by our data there are 45 international companies that

---

<sup>2</sup>For a detailed description see <http://db.kites.unibocconi.it/>

<sup>3</sup>This work was performed by N&G consulting.

operates in the US cardiovascular sector. For each year, the sales of each (international) company in each 3-digit ATC cardiovascular submarket are obtained by summing the sales of all companies controlled by it.

The following ones are the ATC3 level submarkets we analyse:

- (a) C01C - Cardiac stimulants excl. cardiac glycosides
- (b) C02A - Antiadrenergic agents, centrally acting
- (c) C03A - Low-ceiling diuretics, thiazides
- (d) C04A - Peripheral vasodilators
- (e) C05A - Agents for treatment of hemorrhoids and anal fissures for topical use
- (f) C10A - Lipid modifying agents, plain

#### 4. Model and variables

We identify entry by firm  $i$  into submarket  $j$  in year  $t$  with the introduction of a new product by firm  $i$  in that submarket, i.e. in a given year  $t$ , we observe positive sales for a specific product of firm  $i$  in submarket  $j$ . When this happens  $y_{it}^{(j)} = 1$ . Note that this notion of entry covers both entry by greenfield (GF entry), i.e. when the company was not previously present in that submarket, and the choice to expand the range of products being offered.

Entry occurs when net profitability of entry,  $\pi_{it}^{*(j)}$ , is positive. This is our latent variable and is defined as

$$\pi_{it}^{*(j)} = f\left(\mathbf{X}_{it}^{(j)}\right) + \eta_{it} \quad (4.1)$$

which is assumed to be a function of a set of predetermined variables  $\mathbf{X}_{it}^{(j)}$  and a random shock  $\eta_{it}$ .

Our variables,  $\mathbf{X}_{it}^{(j)}$ , comprise two groups of regressors: firm specific regressors and regressors reflecting prevailing conditions in the submarket:

$$\mathbf{X}_{it}^{(j)} = \begin{bmatrix} \mathbf{X}_{1,it}^{(j)} \\ \mathbf{X}_{2,t}^{(j)} \end{bmatrix} \quad (4.2)$$

According to our specification,  $\mathbf{X}_{1,it}^{(j)}$  includes companies characteristics that influence its profitability, size, company’s own patents, previous entry and exit choices (which determine the range of products currently offered by the company).  $\mathbf{X}_{2,t}^{(j)}$  includes variables that are submarket specific: demand conditions, the degree of competition, the other companies’ patents.

If errors  $\eta_{it}$  are assumed Gaussian and the relationship with  $\mathbf{X}_{it}^{(j)}$ , our observable variables, is linear we have a Probit specification for observed entry,  $y_{it}^{(j)}$ . For each submarket, we specify a bayesian panel probit model in which the choice of potentially relevant covariates, is inspired by the literature. We follow Bresnahan and Reiss (1993), Hendricks, Piccione and Tan (1997) and Netz and Taylor (2002) and include typical measures of entry-exit reduced form models. Our key interest relies in the effect of patents. Patents are mostly considered as a barrier to entry. There are, however, circumstances under which patents, as sunk costs, may act as an encouragement to entry, as discussed in Cabral and Ross (2008).

With this theoretical agenda in mind, we include the following list of regressors:

1. The dimension of the company in each specific submarket. In our dataset this variable is called `lsa1ATC3USA` and is obtained summing sales across products in each submarket.
2. Exit decisions of the company in the 3-digit ATC submarket analyzed: `lexit`. It is a dummy variable indicating a reduction in the number of drugs sold by the firm in that submarket with respect to the previous year.
3. Lagged entry decision of the company in the submarket analyzed. This is the lagged dependent variable (`lentry`)
4. A measure of company stock of patents held by a firm in the specific therapeutic area (`spatent`). This is calculated as the stock of cumulated knowledge, which we obtain accumulating past patented ideas through the perpetual inventory method for each company in each 3-digit ATC submarket. Patents are a widely used measure of innovation output, particularly in the Pharmaceutical sector, where they represent a good mean for protecting innovation.

The stock of patents is built using the perpetual inventory method as follows:

$$S(t) = (1 - \delta) * S(t - 1) + P(t - 1) \text{ and } S(t = 1) = P(t = 1)/(g + \delta)$$

where  $P(t - 1)$  is patents at time  $t - 1$ ,  $g$  is the average growth rate in patenting (firm and submarket specific) and  $\delta$  is the depreciation (assumed equal to 0.15, as commonly done in the relevant literature - see, for example, Bottazzi and Peri, 2007). We further present regressions where patents are weighted by family size (**sfam**). A patent family is a set of patent applications taken in multiple countries to protect a single invention by a common applicant and then patented in more than one country. A first application is made in one country – the priority – and is then extended to other offices. Firms will obviously try to protect an innovation in more countries the more relevant the innovation is, therefore weighting by patent family size is a way to better account for their value.

5. A measure of the stock of patents of incumbent firms (**lotherpatents**), obtained by summing the patents stocks of all other firms in the market. Also in this case we use the stock of other firms' patents weighting by patent family size (**lotherfam**).
6. Submarket size - a proxy for demand - equal to the sales of all the companies in the specific ATC3 submarket (**lsott**).
7. The number of incumbents active in the submarket (**limp**), as a proxy for the intensity of competition *among firms*.
8. The degree of competition between products (**lprodcomp**): the number of competing products in the same ATC3.

All covariates are one-year lagged and can therefore be safely considered as predetermined.

## 5. Econometric specification

We use a bayesian panel probit and account for heterogeneity by allowing for unit-specific intercepts (random effects). We also allow unobservable heterogeneity to be potentially correlated with the regressors. More specifically, the probit model can be written as follows:



$$\begin{aligned}
p(y_{it} = 1 | I_{t-1}, c_i, \boldsymbol{\theta}) &= p_{it} = \Phi(c_i + \mathbf{x}'_{it}\boldsymbol{\lambda}) \\
\Phi(x) &= \int_{-\infty}^x \frac{1}{\sqrt{2\pi}} \exp(-z^2/2) dz \\
i &= 1, 2, \dots, n \text{ (units)}, t = 1, 2, \dots, T \text{ (time)}
\end{aligned} \tag{5.1}$$

where the dependent variable,  $y_{it}$  is the dichotomous variable measuring entry in a given submarket,  $I_{t-1}$  is the information set that includes the past values of covariates. The vector  $\boldsymbol{\theta}$  is the vector of free parameters in the model.

In its simplest specification the random effects ( $c_i$ ) are assumed to be independent of regressors, with the following assumption:

$$c_i \sim N(0, (h)^{-1}) \tag{5.2}$$

Notice that when  $h \rightarrow \infty$  we have perfect pooling (no heterogeneity), whereas when  $h \rightarrow 0$  we allow for maximum heterogeneity. In this case we basically have no assumption on the unit specific intercepts and therefore this is tantamount to using a fixed effects model.

It should also be noted that, given that the covariates include an intercept term, identification requires that the mean of  $c_i$  be equal to zero.

In the simplest specification, initial conditions (i.e. observations at time  $t = 0$ ) are treated as fixed and random effects are assumed independent from regressors. This last assumption is clearly unreasonable; hence we assume that random effects are dependent on covariates and on the initial condition as proposed by Wooldridge (2005) and model unobservable heterogeneity specifying a distribution for unit-specific intercepts conditional on the initial values and on the values of the covariates:

$$p(c_i | y_{i0}, \mathbf{X}_i, \boldsymbol{\theta}) \tag{5.3}$$

Covariates can be divided into 3 groups:  $\mathbf{X}_i^{(1)}$  includes strictly exogenous regressors,  $\mathbf{X}_i^{(2)}$  includes regressors that are not strictly exogenous (among these, the lagged dependent variable) and, finally,  $\mathbf{X}_i^{(3)}$  includes regressors which do not vary across units, such as the intercept term and time dummies.

The distribution of the random effects  $c_i$  is conditioned on all sample values of the regressors in  $\mathbf{X}_i^{(1)}$  and only on the initial (pre-sample, at  $t = 0$ ) value of the  $\mathbf{X}_i^{(2)}$

$$p(c_i | \mathbf{X}_i^{(1)}, \mathbf{x}_{i0}^{(2)}, \boldsymbol{\theta}), i = 1, 2, \dots, n \quad (5.4)$$

where  $\mathbf{X}_i^{(1)}$  is a  $(T \cdot k \times 1)$  vector with all the sample values of all exogenous variables for unit  $i$ , i.e. all regressors for each year and  $\mathbf{x}_{i0}^{(2)}$  is a  $(k \times 1)$  vector with the initial (i.e. pre-sample) observations for the predetermined variables.

In particular, as in Wooldridge (2005), we assume a Gaussian distribution and a linear specification for the conditional mean. Thus, since in our application we have no strictly exogenous variables, we have the following specification for random effects

$$c_i = \boldsymbol{\gamma}'_2 \mathbf{x}_{i0}^{(2)} + \alpha_i \quad (5.5)$$

$$\alpha_i \sim N(0, h_\alpha^{-1}) \quad (5.6)$$

which implies

$$P(y_{it} = 1 | I_{t-1}, \boldsymbol{\theta}, \alpha_i) = \Phi(\alpha_i + \boldsymbol{\beta}' \mathbf{z}_{it}) = p_{it} \quad (5.7)$$

$$\Phi(\alpha_i + \boldsymbol{\beta}' \mathbf{z}_{it}) = \int_{-\infty}^{\alpha_i + \boldsymbol{\beta}' \mathbf{z}_{it}} \frac{1}{\sqrt{2\pi}} \exp\left\{-\frac{\omega^2}{2}\right\} d\omega \quad (5.8)$$

$$\boldsymbol{\beta} = [\boldsymbol{\lambda}', \boldsymbol{\gamma}'_2]', \mathbf{z}_{it} = [\mathbf{x}'_{it}, \mathbf{x}_{i0}^{(2)'}]' \quad (5.9)$$

Hence the joint density of the sample, conditional on covariates, coefficients and random effects is

$$p(\mathbf{y}_1, \dots, \mathbf{y}_n | \mathbf{Z}_1, \dots, \mathbf{Z}_n, \alpha_1, \dots, \alpha_n, \boldsymbol{\theta}) = \prod_{i=1}^n \prod_{t=1}^T p_{it} \quad (5.10)$$

Therefore we have a panel probit model structure with a properly augmented set of regressors. A clear advantage of using this approach to model unit heterogeneity is that, unlike in non-parametric approaches, the average partial effects can be easily calculated. Its disadvantage is that it is based on very restrictive hypotheses: the Gaussianity of the conditional distribution of  $c_i$  and the linear dependency of its expected value on the values of regressors but these assumptions can nevertheless be weakened.

## 6. Results

As already mentioned, the debate on the role of patents has not yet reached a clear agreement on their effect on entry and competition. In the following tables we present the estimation results, using simple patent counts as well as patents weighted by their family size, to account for their quality.

In all our regressions own patents never improve the chances of entry. This is the case for both recent and the initial patent holdings. Interestingly, we instead find significant effects on entry for patents holdings by incumbents in submarket C1C, C3A with both simple patent counts and patents weighted by family size, and in submarket C4A when we use simple patent counts. On the one hand, when significant, the initial stock of patents held by incumbents has a positive effect on entry. This suggests that patents promote knowledge flows to potential competitors and the opening of new technological opportunities, which promote industry dynamics, a sort of spillover effect. On the other hand, the most recent patent holdings by incumbents have a negative effect on entry and hence act as a barrier to entry (this also happens in sector C5A). This could emphasize the property rights effect of patents: recent successes by incumbents in the exploitation of existing technological opportunities frustrate entrant's efforts and thus discourage entry. These results give an important contribution to the debate on the role of patents in shaping competition, precisely entry conditions.

We also find that in some submarkets the number of competing products has a negative and significant effect (see submarket C5A, C2A, C3A, C1C -families and submarket C1C, C3A,C5A-patents). This result is in line with the literature: the number of competing products in narrowly defined submarkets reduces the probability that new products will be introduced. Finally, submarket size is positive and significant in submarket C3A (both for family weighted and simple patents measures) as foreseen by the literature.

**Table 1: patents weighted by families**

**C1C**

| regressor                    | prior mean   | prior std | post mean | post std | significant | APE      |
|------------------------------|--------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | 0,020754251  | 0,916037  | 0,007812  | 0,001868 | 1           | 0,000286 |
| lsfam                        | -0,341108746 | 0,97503   | 0,028689  | 0,02127  | 0           | 0,000974 |
| lsott                        | 0,160362859  | 0,876914  | -0,00132  | 0,000397 | 1           | -4,6E-05 |
| lprodcomp                    | -0,092124213 | 1,009355  | -0,4681   | 0,144951 | 1           | -0,01685 |
| lentry2                      | -0,060559976 | 1,098248  | -0,74723  | 0,473911 | 0           | -0,03024 |
| lexit2                       | 0,135019122  | 0,96155   | 0,963095  | 0,49822  | 1           | 0,038143 |
| lotherfam                    | 0,118447826  | 1,039646  | -0,04775  | 0,012169 | 1           | -0,00168 |
| intercept                    | 0,009487418  | 0,988064  | 0,042235  | 0,96042  | 0           | 0,003795 |
| initial_lsalATC3USA          | 0,111741633  | 1,019359  | -0,00869  | 0,004799 | 1           | -0,00032 |
| initial_lsfam                | -0,009978872 | 0,97386   | 0,046495  | 0,04279  | 0           | 0,001631 |
| initial_lentry2              | 0,003740273  | 1,096724  | 0,163912  | 0,817901 | 0           | 0,00234  |
| initial_lexit2               | -0,056191118 | 1,041014  | 0,257099  | 0,9488   | 0           | 0,012377 |
| initial_lotherfam            | 0,009114523  | 1,035067  | 0,140596  | 0,036357 | 1           | 0,004946 |
| precision \alpha             | 0,477169011  | 0,624278  | 1,222254  | 0,941431 | 1           | 0        |
| confidence level             |              | 0,95      |           |          |             |          |
| correlation btw p^ and y     |              | 0,63783   |           |          |             |          |
| proportion correct forecasts |              | 0,716667  |           |          |             |          |

**C2A**

| regressor                    | prior mean   | prior std | post mean | post std | significant | APE      |
|------------------------------|--------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | -0,076611073 | 1,082874  | -0,00203  | 0,000759 | 1           | -0,00022 |
| lsfam                        | 0,070751684  | 0,977159  | 0,014314  | 0,014333 | 0           | 0,001725 |
| lsott                        | -0,040166838 | 1,045423  | -0,00019  | 5,14E-05 | 1           | -2,1E-05 |
| lprodcomp                    | -0,15137758  | 0,982186  | -0,16051  | 0,05241  | 1           | -0,01801 |
| lentry2                      | -0,03191339  | 1,144849  | -0,3215   | 0,386715 | 0           | -0,03481 |
| lexit2                       | -0,133496089 | 0,895929  | 0,200689  | 0,392281 | 0           | 0,021322 |
| lotherfam                    | 0,129970884  | 1,051737  | 0,009767  | 0,003276 | 1           | 0,001078 |
| intercept                    | -0,013257865 | 1,097857  | 0,020849  | 1,04536  | 0           | 0,000849 |
| initial_lsalATC3USA          | -0,019626019 | 1,090044  | 0,00064   | 0,001256 | 0           | 7,52E-05 |
| initial_lsfam                | -0,12775196  | 1,132511  | 0,019492  | 0,017066 | 0           | 0,00206  |
| initial_lentry2              | 0,14313599   | 0,938342  | 0,005052  | 0,533251 | 0           | 0,002921 |
| initial_lexit2               | 0,058072616  | 1,003106  | 0,157954  | 0,856869 | 0           | 0,018821 |
| initial_lotherfam            | -0,215107342 | 0,928478  | 0,017421  | 0,007708 | 1           | 0,001963 |
| precision \alpha             | 0,366931944  | 0,607027  | 0,868309  | 0,467443 | 1           | 0        |
| confidence level             |              | 0,95      |           |          |             |          |
| correlation btw p^ and y     |              | 0,429864  |           |          |             |          |
| proportion correct forecasts |              | 0,595455  |           |          |             |          |

**C3A**

| regressor                    | prior mean   | prior std | post mean | post std | significant | APE      |
|------------------------------|--------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | -0,043360154 | 1,020834  | -0,00036  | 0,001018 | 0           | -4,6E-05 |
| lsfam                        | 0,070269984  | 0,935827  | -0,0224   | 0,011997 | 0           | -0,00248 |
| lsott                        | -0,019996935 | 0,991659  | 0,000157  | 4,87E-05 | 1           | 1,76E-05 |
| lprodcomp                    | -0,22178402  | 1,03414   | -0,11004  | 0,045463 | 1           | -0,01228 |
| lentry2                      | 0,189998259  | 0,933565  | -0,3833   | 0,329968 | 0           | -0,0434  |
| lexit2                       | 0,192146996  | 0,988566  | 0,212476  | 0,276361 | 0           | 0,024146 |
| lotherfam                    | -0,049951966 | 0,988243  | -0,01562  | 0,00565  | 1           | -0,00175 |
| intercept                    | -0,070247955 | 1,088423  | -0,11644  | 1,012371 | 0           | -0,01584 |
| initial_ lsalATC3USA         | 0,073523665  | 0,953869  | -0,00064  | 0,001052 | 0           | -6,4E-05 |
| initial_ lsfam               | -0,063801424 | 1,026295  | 0,018454  | 0,044554 | 0           | 0,002082 |
| initial_ lentry2             | 0,038144044  | 1,03469   | 0,405588  | 0,445935 | 0           | 0,047264 |
| initial_ lexit2              | 0,017412779  | 1,013244  | 0,03518   | 0,587928 | 0           | 0,002003 |
| initial_ lotherfam           | 0,049526863  | 0,994223  | 0,038596  | 0,033123 | 0           | 0,004285 |
| precision \alpha             | 0,46307459   | 0,622915  | 1,640727  | 0,775213 | 1           | 0        |
| confidence level             |              | 0,95      |           |          |             |          |
| correlation btw p^ and y     |              | 0,443346  |           |          |             |          |
| proportion correct forecasts |              | 0,648148  |           |          |             |          |

**C4A**

| regressor                    | prior mean   | prior std | post mean | post std | significant | APE      |
|------------------------------|--------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | -0,04619872  | 0,982833  | -0,00168  | 0,003101 | 0           | -0,00011 |
| lsfam                        | 0,065894263  | 0,930004  | 0,002319  | 0,006414 | 0           | 0,000203 |
| lsott                        | 0,047731597  | 0,946446  | -0,00092  | 0,000413 | 1           | -7,5E-05 |
| lprodcomp                    | -0,037467986 | 0,967868  | -0,00471  | 0,039471 | 0           | -0,0004  |
| lentry2                      | 0,069917968  | 1,046608  | -1,45705  | 0,714433 | 1           | -0,11449 |
| lexit2                       | -0,020466012 | 0,981557  | 0,591264  | 0,452514 | 0           | 0,047022 |
| lotherfam                    | 0,066992161  | 1,00964   | -0,00546  | 0,002477 | 1           | -0,00044 |
| intercept                    | 0,160294516  | 0,957693  | 0,001503  | 0,92213  | 0           | -0,001   |
| initial_ lsalATC3USA         | -0,123252279 | 0,922687  | 0,000647  | 0,004157 | 0           | 2,31E-05 |
| initial_ lsfam               | 0,000533135  | 0,908033  | 0,006203  | 0,009599 | 0           | 0,000499 |
| initial_ lentry2             | 0,077997819  | 1,11636   | 0,031099  | 0,812423 | 0           | 0,006322 |
| initial_ lexit2              | -0,022161881 | 0,976915  | 0,317834  | 0,598386 | 0           | 0,024345 |
| initial_ lotherfam           | -0,020996876 | 0,956518  | 0,012602  | 0,005772 | 1           | 0,001021 |
| precision \alpha             | 0,519216422  | 0,978723  | 1,545977  | 0,985583 | 1           | 0        |
| confidence level             |              | 0,95      |           |          |             |          |
| correlation btw p^ and y     |              | 0,439994  |           |          |             |          |
| proportion correct forecasts |              | 0,666667  |           |          |             |          |

**C5A**

| regressor                    | prior mean   | prior std | post mean | post std | significant | APE      |
|------------------------------|--------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | -0,104839908 | 0,997172  | -0,00886  | 0,003845 | 1           | -0,00073 |
| lsfam                        | 0,022306822  | 1,164268  | 0,009904  | 0,014545 | 0           | 0,000932 |
| lsott                        | -0,081736823 | 1,131937  | 0,000101  | 6,72E-05 | 0           | 8,27E-06 |
| lprodcomp                    | -0,021671412 | 0,872293  | -0,16916  | 0,073176 | 1           | -0,01384 |
| lentry2                      | -0,134233659 | 0,926274  | -0,67708  | 0,662185 | 0           | -0,05858 |
| lexit2                       | 0,114060815  | 0,839285  | 0,801414  | 0,414888 | 1           | 0,068242 |
| lotherfam                    | -0,127846287 | 1,042437  | -0,00753  | 0,004396 | 0           | -0,00063 |
| intercept                    | 0,081172918  | 1,083511  | 0,127784  | 0,918788 | 0           | 0,0058   |
| initial_lsalATC3USA          | 0,002433342  | 0,94502   | 0,011725  | 0,004948 | 1           | 0,000979 |
| initial_lsfam                | 0,033471545  | 1,028805  | -0,00231  | 0,042819 | 0           | -0,0002  |
| initial_lentry2              | 0,166101761  | 0,998742  | 0,087169  | 0,531198 | 0           | 0,007138 |
| initial_lexit2               | 0,000987428  | 1,01949   | 0,018731  | 0,695762 | 0           | 0,003721 |
| initial_lotherfam            | -0,129244299 | 0,912741  | 0,01233   | 0,036256 | 0           | 0,001033 |
| precision \alpha             | 0,474878095  | 0,519061  | 1,546859  | 0,763272 | 1           | 0        |
| confidence level             |              | 0,95      |           |          |             |          |
| correlation btw p^ and y     |              | 0,38502   |           |          |             |          |
| proportion correct forecasts |              | 0,621429  |           |          |             |          |

**Table 2: patents**

**C1C**

| regressor                    | prior mean | prior std | post mean | post std | significant | APE      |
|------------------------------|------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | 0,02977    | 1,03842   | 0,00379   | 0,002101 | 0           | 0,000296 |
| lspatent                     | -0,07157   | 0,94737   | 0,272059  | 0,357109 | 0           | 0,019893 |
| lsott                        | -0,19474   | 0,878152  | -0,00031  | 0,00021  | 0           | -2,5E-05 |
| lprodcomp                    | -0,01191   | 1,156765  | -0,21995  | 0,104324 | 1           | -0,01864 |
| lentry2                      | -0,00045   | 0,986223  | -0,38033  | 0,546631 | 0           | -0,03332 |
| lexit2                       | -0,15845   | 1,171273  | 1,05271   | 0,480719 | 1           | 0,086112 |
| lotherpatents                | 0,039201   | 1,035856  | -0,30659  | 0,105675 | 1           | -0,02545 |
| intercept                    | 0,096807   | 0,931936  | -0,00286  | 0,961551 | 0           | -0,00333 |
| initial_lsalATC3USA          | -0,01646   | 1,008291  | -0,00525  | 0,004262 | 0           | -0,00039 |
| initial_lspatent             | 0,138244   | 0,888306  | 0,456684  | 0,595515 | 0           | 0,041234 |
| initial_lentry2              | -0,00222   | 0,977933  | 0,243268  | 0,773626 | 0           | 0,022085 |
| initial_lexit2               | 0,159929   | 1,091608  | 0,025397  | 0,939865 | 0           | -0,00293 |
| initial_lotherpatents        | 0,094104   | 0,947196  | 0,922426  | 0,499453 | 1           | 0,076051 |
| precision \alpha             | 0,604376   | 1,193727  | 1,115776  | 1,128864 | 1           | 0        |
| confidence level             |            | 0,95      |           |          |             |          |
| correlation btw p^ and y     |            | 0,510608  |           |          |             |          |
| proportion correct forecasts |            | 0,675     |           |          |             |          |

**C02A**

| regressor             | prior mean  | prior std | post mean | post std | significant | APE       |
|-----------------------|-------------|-----------|-----------|----------|-------------|-----------|
| lsalATC3USA           | 0,02977     | 1,03842   | -0,00053  | 0,000363 | 0           | -5,64E-05 |
| lspatent              | -0,07157    | 0,94737   | 0,007437  | 0,243261 | 0           | 0,000801  |
| lsott                 | -0,19474    | 0,878152  | -0,0002   | 9,20E-05 | 0           | -2,31E-05 |
| lprodcomp             | -0,01191    | 1,156765  | -0,11255  | 0,058351 | 0           | -0,01269  |
| lentry2               | -0,00045    | 0,986223  | -0,08994  | 0,277072 | 0           | -0,01104  |
| lexit2                | -0,15845    | 1,171273  | -0,02959  | 0,397048 | 0           | -0,00328  |
| lotherpatents         | 0,039201    | 1,035856  | 0,147632  | 0,083749 | 0           | 0,016989  |
| intercept             | 0,096807    | 0,931936  | 0,190231  | 1,04794  | 0           | 0,019417  |
| initial_lsalATC3USA   | -0,01646    | 1,008291  | 0,001502  | 0,001    | 0           | 0,000165  |
| initial_lspatent      | 0,138244    | 0,888306  | -0,35072  | 0,470434 | 0           | -0,03797  |
| initial_lentry2       | -0,00222    | 0,977933  | 0,45969   | 0,451657 | 0           | 0,053626  |
| initial_lexit2        | 0,159929    | 1,091608  | -0,09227  | 0,733893 | 0           | -0,01181  |
| initial_lotherpatents | 0,094104    | 0,947196  | 0,457279  | 0,282792 | 0           | 0,051367  |
| precision \alpha      | 0,604376    | 1,193727  | 1,925164  | 0,934721 | 1           | 0         |
|                       | 0,95        |           |           |          |             |           |
|                       | 0,390394702 |           |           |          |             |           |
|                       | 0,55        |           |           |          |             |           |

**C3A**

| regressor                    | prior mean | prior std | post mean | post std | significant | APE      |
|------------------------------|------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | 0,027283   | 1,033549  | -6,3E-05  | 0,000711 | 0           | -1,3E-05 |
| lspatent                     | 0,02344    | 0,996433  | -0,62592  | 0,394099 | 0           | -0,09397 |
| lsott                        | 0,062827   | 0,884822  | 8,88E-05  | 3,01E-05 | 1           | 1,32E-05 |
| lprodcomp                    | -0,02287   | 0,980114  | -0,03688  | 0,016478 | 1           | -0,00552 |
| lentry2                      | 0,061968   | 0,998463  | -0,25711  | 0,243076 | 0           | -0,03935 |
| lexit2                       | -0,00904   | 1,035828  | 0,0944    | 0,262169 | 0           | 0,014509 |
| lotherpatents                | -0,08701   | 1,048674  | -0,48989  | 0,192187 | 1           | -0,07347 |
| intercept                    | -0,07646   | 1,005884  | -0,17809  | 1,000656 | 0           | -0,02329 |
| initial_lsalATC3USA          | -0,0321    | 0,9545    | -0,00068  | 0,000584 | 0           | -9,8E-05 |
| initial_lspatent             | 0,114972   | 1,063965  | -0,39924  | 0,628183 | 0           | -0,05999 |
| initial_lentry2              | -0,14089   | 0,970377  | 0,460433  | 0,411942 | 0           | 0,067185 |
| initial_lexit2               | -0,05736   | 1,01841   | -0,03803  | 0,455752 | 0           | -0,00542 |
| initial_lotherpatents        | 0,048826   | 0,94351   | 0,076415  | 0,448835 | 0           | 0,011362 |
| precision \alpha             | 0,601298   | 0,768003  | 2,972141  | 1,22326  | 1           | 0        |
| confidence level             |            | 0,95      |           |          |             |          |
| correlation btw p^ and y     |            | 0,438248  |           |          |             |          |
| proportion correct forecasts |            | 0,574074  |           |          |             |          |

**C04A**

| regressor                    | prior mean | prior std | post mean | post std | significant | APE      |
|------------------------------|------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                  | -0,0098    | 1,123763  | -0,00177  | 0,002465 | 0           | -0,00016 |
| lspatent                     | -0,08502   | 1,020173  | 0,000209  | 0,191902 | 0           | -0,00035 |
| lsott                        | 0,017467   | 0,93063   | -0,00057  | 0,000383 | 0           | -5,1E-05 |
| lprodcomp                    | -0,09155   | 0,932653  | -0,00884  | 0,035671 | 0           | -0,00052 |
| lentry2                      | -0,02242   | 0,861355  | -1,07921  | 0,573051 | 1           | -0,10157 |
| lexit2                       | -0,03906   | 1,071352  | 0,729697  | 0,378134 | 0           | 0,06562  |
| lotherpatents                | 0,001566   | 1,033749  | -0,00568  | 0,089645 | 0           | -0,00045 |
| intercept                    | 0,162805   | 0,975875  | 0,119057  | 1,019973 | 0           | 0,013641 |
| initial_lsalATC3USA          | -0,0084    | 0,928599  | 0,00212   | 0,003231 | 0           | 0,000192 |
| initial_lspatent             | -0,16173   | 1,033416  | 0,089499  | 0,241844 | 0           | 0,008079 |
| initial_lentry2              | 0,124245   | 0,961185  | 0,11541   | 0,716495 | 0           | 0,007337 |
| initial_lexit2               | -0,06962   | 1,00662   | 0,287856  | 0,566346 | 0           | 0,022636 |
| initial_lotherpatents        | 0,060593   | 0,950051  | 0,098982  | 0,198276 | 0           | 0,008155 |
| precision \alpha             | 0,533385   | 0,686541  | 1,684132  | 1,007057 | 1           | 0        |
| confidence level             |            | 0,95      |           |          |             |          |
| correlation btw p^ and y     |            | 0,360293  |           |          |             |          |
| proportion correct forecasts |            | 0,566667  |           |          |             |          |



C5A

| regressor                            | prior mean | prior std | post mean | post std | significant | APE      |
|--------------------------------------|------------|-----------|-----------|----------|-------------|----------|
| lsalATC3USA                          | 0,02977    | 1,03842   | -0,01523  | 0,009671 | 1           | -0,00069 |
| lspatent                             | -0,07157   | 0,94737   | 0,874414  | 0,401    | 0           | 0,049034 |
| lsott                                | -0,19474   | 0,878152  | 7,96E-05  | 8,53E-05 | 0           | 3,59E-06 |
| lprodcomp                            | -0,01191   | 1,156765  | -0,17358  | 0,077441 | 1           | -0,0087  |
| lentry2                              | -0,00045   | 0,986223  | -0,95719  | 0,497213 | 1           | -0,05625 |
| lexit2                               | -0,15845   | 1,171273  | 0,778972  | 0,459452 | 0           | 0,039682 |
| lotherpatents                        | 0,039201   | 1,035856  | -0,30387  | 0,140371 | 1           | -0,0157  |
| intercept                            | 0,096807   | 0,931936  | 0,24374   | 0,897787 | 0           | 0,009581 |
| initial_lsalATC3USA                  | -0,01646   | 1,008291  | 0,017222  | 0,01035  | 1           | 0,000817 |
| initial_lspatent                     | 0,138244   | 0,888306  | -0,10062  | 0,897663 | 0           | -0,0021  |
| initial_lentry2                      | -0,00222   | 0,977933  | 0,514702  | 0,512751 | 0           | 0,030168 |
| initial_lexit2                       | 0,159929   | 1,091608  | 0,260862  | 0,691634 | 0           | 0,019933 |
| initial_lotherpatents                | 0,094104   | 0,947196  | 0,667808  | 0,820502 | 0           | 0,032852 |
| precision \alpha                     | 0,604376   | 1,193727  | 1,568079  | 1,107769 | 1           | 0        |
| confidence level                     |            | 0,95      |           |          |             |          |
| correlation btw $p^{\wedge}$ and $y$ |            | 0,463857  |           |          |             |          |
| proportion correct forecasts         |            | 0,628571  |           |          |             |          |

## 7. Conclusions

Our results interestingly show that own patents never improve the chances of entry. This is the case for both recent and the initial patent holdings. This does not necessarily suggest that entry is not explained by the firm's ability to innovate and its initial conditions, which are certainly difficult-to-measure and associated with the firm's initial allocation of resources and capabilities (Cockburn et al, 2000). It may rather suggest that the positive effect on entry of innovation and initial conditions are not well captured by own patents. By contrast, incumbents' patents are found to have twofold and contrasting effects. On the one hand, the initial stock of patents held by incumbents has a positive effect on entry, thus suggesting that through patents new knowledge flows to competitors and opens for them new technological opportunities. Therefore patents do seem to effectively promote product and industry dynamics as innovation comes from building on what came before, using the building blocks provided by previous innovations by incumbents.

On the other hand, the most recent patent holdings by incumbents do appear to act as a barrier to entry. Recent successes by incumbents in the exploitation of existing technological opportunities frustrate entrant's efforts and thus discourage entry. The use of a Bayesian framework allows us to separately identify the two contrasting effects: spillover effect versus property rights effect.

Our findings can contribute to the recent debate on the role of patents in enforcing or reducing competition and innovation. Patents grant a monopoly power that may discourage other companies from innovating (Boldrin and Levine, 2013). This is confirmed by our results. However, knowledge contained in patents held by other companies may also facilitate entry with a new product by enlarging the set of technological opportunities and thus favour competition. This is also confirmed by our results. Patents may thus increase social welfare through but also beyond their role of providing incentives to the innovator.

## References

- [1] Acemoglu D. and Linn J. (2004): Market Size in Innovation: Theory and Evidence from the Pharmaceutical Industry, *The Quarterly Journal of Economics*, pp. 1049-1090.
- [2] Amisano G. and M.L. Giorgetti (2013): Entry into Pharmaceutical Submarkets: a Bayesian Panel Probit analysis, *Journal of Applied Econometrics*
- [3] Amisano G. and M.L. Giorgetti (2008) *Entry in Pharmaceutical Submarkets: the role of submarket concentration*, mimeo
- [4] Arellano, M. and R. Carrasco (2003): "Binary choice panel data models with predetermined variables", *Journal of Econometrics*, 115(1), 125-157.
- [5] Baldwin, John R., (1995), *The Dynamics of Industrial Competition: A North American Perspective*, Cambridge, Cambridge University Press.
- [6] Barbosa N. (2003) What drives new firms into an industry? An integrative model of entry, Working Papers n.23 from Núcleo de Investigação em Microeconomia Aplicada (NIMA), Universidade do Minho
- [7] Biewen, M. (2004): "Measuring State Dependence in Individual Poverty Status: Are There Feedback Effects to Employment Decisions and Household Compositions?" *IZA discussion paper n.1138*, May 2004.
- [8] Boldrin, M and Levine D. " The Case Against Patents", *Journal of Economic Perspectives*, 27(1), 3-22.
- [9] Bottazzi, G. *et al.* (2001): "Innovation and Corporate Growth in the Evolution of the Drug Industry." *International Journal of Industrial Organization*, 19(7):1161-1187.
- [10] Bottazzi, L., Peri, G., (2007). The Dynamics of R&D and Innovation in the Short Run and in the Long Run. *The Economic Journal*, vol. 117, March, pp. 486-511.
- [11] Caballero R.J. and A.B. Jaffe (1993), "How High are the Giants' Shoulders: An Empirical Assessment of Knowledge Spillovers and Creative Destruction in a Model of Economic Growth", NBER Macroeconomics Annual, Volume 8

- [12] Cabral L.M.B. and T.W. Ross (2008), "Are Sunk Costs a Barrier to Entry?", *Journal of Economics and Management Strategy* 17(1): 97-112.
- [13] Caves,R.E, Whinston, M.D., Hurwitz, M.A. (1991): "Patent Expiration, Entry, and Competition in the U. S. Pharmaceutical Industry", *Brooking Papers on Economic Activity*, Microeconomics.
- [14] Chib, S. (2001): "Markov Chain Monte Carlo Methods: Computation and Inference", in Heckman, J.J. and E. Leamer (*eds.*): *Handbook of Econometrics*, Vol. 5, Noth Holland.
- [15] Chib, S. and I. Jeliazkov.( 2003). Semiparametric Hierarchical Bayes Analysis of Discrete Panel Data with State Dependence. Working paper, Department of Economics, University of California-Irvine.
- [16] Cockburn I.M., M.J. MacGarvie (2011): "Entry and Patenting in the Software Industry", *Management Science* 57(5): 915-933
- [17] Cockburn, I. M.and R. Henderson (1994) "Racing to Invest? The Dynamics of Competition in Ethical Drug Discovery." *Journal of Economics and Management Strategy*, Vol. 3, pp. 481-519.
- [18] Cockburn, I. M., R. Henderson, and S. Stern (2000), "Untangling the Origins of Competitive Advantage." *Strategic Management Journal*, 21(10-11): 1123-1145
- [19] Cohen W.M., R.R. Nelson and J.P. Walsh (2000), "Protecting Their Intellectual Assets: Appropriability Conditions and Why U.S. Manufacturing Firms Patent (Or Not)", NBER Working Paper 7552
- [20] Danzon, Wang and Wang (2005), Economics of the Pharmaceutical Industry, "The impact of price regulation on the launch delay of new drugs - evidence from twenty-five major markets in the 1990s", *Health Economics*
- [21] Davies S.W. Lyons B.R. et al. (1996), *Industrial Organization in the European Union*",Oxford University Press, Oxford.
- [22] de Figueiredo, J., M. Kyle (2006), "Surviving the gales of creative destruction: The determinants of product turnover", *Strategic Management Journal*, 27(3): 241-264

- [23] Deutsch (1975)
- [24] Di Masi J.(2001)Winners and Losers in New Drug Innovation, *Medical Marketing & Media*,Sep; 36(9):99-110
- [25] Edlin, A. (2010), Predatory pricing, Working paper, UC Berkeley, Berkeley.Aaron S. Edlin. "Predatory Pricing" Research Handbook on Economics of Antitrust. Ed. Einer Elhauge. Edward Elgar, 2012.  
Available at: [http://works.bepress.com/aaron\\_edlin/74](http://works.bepress.com/aaron_edlin/74)
- [26] Frühwirth-Schnatter, S. (2001): Markov Chain Monte Carlo Estimation of Classical and Dynamic Switching and Mixture Models, *Journal of the American Statistical Association*, 96, 194-209.
- [27] Geweke, J., (1999):"Using simulation methods for Bayesian econometric modelling: inference, development and communication", *Econometric Reviews*, 18, 1-74.
- [28] Geweke, J. and M. P. Keane (1999): Mixture of Normals Probit Models, in Hsiao C., K. Lahiri, L.F. Lee and H. Pesaran (eds.): *Analysis of Panels and Limited Dependent Variable Models: an Edited Volume in Honor of G.S. Maddala*, Cambridge University Press, Cambridge.
- [29] Geroski, P.A. (1999), The Growth of Firms in Theory and Practice, *CEPR Discussion Paper No.2092*.
- [30] Hall B. and R.M. Ham Ziedonis (2001), "The Patent Paradox Revisited: Determinants of Patenting in the US Semiconductor Industry, 1979-95", *Rand Journal of Economics*, 32, no 1: 101-128.
- [31] Heckman J.J (1981): "The incidental parameters problem and the problem of conditions in estimating a discrete time-discrete data stochastic process", in C.F. Mansky and D. McFadden (eds): *Structural Analysis of Discrete Panel Data with Econometric Applications*, MIT Press, Cambridge, MA.
- [32] Henderson R. and Cockburn I. (1996), "Scale, Scope, and Spillovers: The Determinants of Research Productivity in Drug Discovery", *Rand Journal of Economics*, 27, pp. 32-59.

- [33] Honoré B. and A. Lewbel (2002): "Semiparametric Binary Choice Panel Data Models Without Strictly Exogenous Regressors", *Econometrica*, 70, 2053-2063.
- [34] Honoré, B.E. and E. Kyriazidou (2000): Panel data discrete choice models with lagged dependent variables, *Econometrica*, 68, 839-874.
- [35] Hopenhayn, Hugo A. (1992): "Entry, Exit, and Firm Dynamics in Long Run Equilibrium." *Econometrica*, 60(5):1127-50.
- [36] Jaffe, A. B. and J. Lerner (2004), "Innovation and Its Discontents: How Our Broken Patent System Is Endangering Innovation and Progress, and What to Do About It", Princeton University Press, Princeton, NJ
- [37] Klepper S. and P.Thompson (2006):" Submarkets and the Evolution of Market Structure ", *Rand Journal of Economics*, Vol 37-4, 861-886.
- [38] Koop, G. and Poirier, D., (2000). "Bayesian Variants of Some Classical Semiparametric Regression Techniques," Papers 00-01-22, California Irvine - School of Social Sciences.
- [39] Kyle M. (2006)" The Role of firms Characteristics in Pharmaceutical Product Launches", *Rand Journal of Economics*, Vol.37-3, 602-618
- [40] Jia Panle (2008) *Econometrica*
- [41] Lanjouw J.(2005), Patents, Price Controls, and Access to New Drugs: How Policy Affects Global Market Entry, *NBER Working Paper*
- [42] Matraves C., "Market Structure, R&D and Advertising in the Pharmaceutical Industry", *Journal of Industrial Economics*, 1999, 47, pp. 169-94.
- [43] Mitchell M. (2000): " The Scope and Organization of Production: Firm Dynamics over the Learning Curve", *Rand Journal of Economics*, Vol.31, pp.180-205.
- [44] Mundlak, Y.(1978): "On the Pooling of Time Series and Cross Section Data", *Econometrica*, 46, 69-86.
- [45] Penrose, E. (1959), *The Theory of Growth of the Firm*, Basil Blackwell, Oxford.

- [46] Reinganum, J.E (1989) "The Timing of Innovation: Research, Development, and Diffusion." In R. Schmalensee and R.D. Willig, eds., *Handbook of Industrial Organization*. New York: North-Holland
- [47] Scott Morton Fiona (1997), "Entry Decision in the Generic Pharmaceutical Industry"; *NBER Working Paper*
- [48] Sutton, John (1998): *Technology and Market Structure*. Cambridge, MA: MIT Press.
- [49] Train, K.E. (2003): *Discrete Choice Methods with Simulation*, Cambridge University Press, Cambridge.
- [50] Wooldridge J. M. (2005): Simple Solutions to the Initial Conditions Problem in Dynamic, Nonlinear Panel Data Models with Unobserved Heterogeneity, *Journal of Applied Econometrics*, 20, 39-54.